STUDY OF $K^+ \rightarrow \pi^+ \pi^0$ DECAY

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YEAR-END PRESENTATIONS 2019

THE KOTO EXPERIMENT

- Purpose: Search for New Physics that violates CP symmetry
- Probe: $K_L \rightarrow \pi^0 \nu \nu$
- Signature: 2 photons with π^0 invariant mass and finite pT



MOTIVATION

- Want to know if there is K⁺ contamination in K_L beam
- Major decay mode: $K^+ \rightarrow \pi^+ \pi^0$ (3 clusters: 2 photons from pi0 and 1 pseudo-photon pi+)
- Main background: $K_L \rightarrow \pi^+ \pi^- \pi^0$ (1 charged pion escapes detection)
- Develop a new algorithm to reconstruct K⁺ from 3 clusters
- Kaon mass, chi2, PT, energy, etc are reconstructed and used to evaluate the performance of new algorithm using **MC data**
- Different cut criteria are also studied

π^0 RECONSTRUCTION



ALGORITHM

- Position and energy info of the two photon clusters
- Assumption: pi0 decays on the z axis

$$p_{\pi^0}^2 = (p_1 + p_2)^2$$

 $\to m_{\pi^0}^2 = 2E_1E_2(1 - \cos\theta)$

$$\overrightarrow{a_1} = (x_1, y_1, z)$$

$$\overrightarrow{a_2} = (x_2, y_2, z)$$

$$\overrightarrow{p_1} = \frac{\overrightarrow{a_1}}{a_1} E_1$$

$$\overrightarrow{p_2} = \frac{\overrightarrow{a_2}}{a_2} E_2$$

$$\overrightarrow{p_2} = \frac{\overrightarrow{a_2}}{a_2} E_2$$

4

ALGORITHM

π^+ RECONSTRUCTION



• Assumption: K+ decays on z axis

$$p_x^+ = -(p_{1x} + p_{2x})$$

$$p_y^+ = -(p_{1y} + p_{2y})$$

$$p^+ = \frac{p^{+T}}{\sin(atan(\sqrt{x^2 + y^2}/z))}$$

 $E = \sqrt{p^{+2} - m_{\pi^+}^2}$

=> From pi0 and pi+ 4-momenta, kaon invariant mass can be reconstructed.

ALGORITHM

THETA ANGLE

рТ axis x1,y1,E1) (x2,y2,E2) $\theta_{\rm p}$ $\theta_{\rm I}$ (x0,y0)

• Theta angle: Angle pi+ cluster made with pT axis (reconstructed from 2 pi0 clusters):

$$\theta = \theta_p - \theta_l = \theta(x_1, y_1, E_1, x_2, y_2, E_2, x_0, y_0)$$

where

$$\begin{aligned} \theta_l &= atan \left(\frac{\frac{E_1 x_1}{r_1} + \frac{E_2 x_2}{r_2}}{\frac{E_1 y_1}{r_1} + \frac{E_2 y_2}{r_2}} \right) \\ \theta_p &= atan \left(\frac{x_0}{y_0} \right) \end{aligned}$$

RECONSTRUCTION

KAON MASS

signal



RECONSTRUCTION π + ENERGY DEPOSIT

signal



RECONSTRUCTION

THETA ANGLE

signal



RECONSTRUCTION

 $\pi^0 PT$

signal



DATA

- MC events: $+ K^+ \rightarrow \pi^+ \pi^0$: 2E+7 + $K_L \rightarrow \pi^+ \pi^- \pi^0$: 1E+8
- Branching Ratio: $+ K^+ \rightarrow \pi^+ \pi^0$: ~20% + $K_L \rightarrow \pi^+ \pi^- \pi^0$: ~10%
- Flux Ratio (Simulation): K+/K_L~1E-5

Assumption: Same amount of K⁺ and K_L in the beam

=> Scaling factor: 10





35000

30000

Require no hit on DCV: DCVVetoEne<2MeV

-0.5<theta<0.5

300<E pi+<360

DCVVetoEne<2

SUMMARY

• The new algorithm can be used to discriminate between K^+ and K_L .

However K⁺ contamination is low even after cuts, more selection criteria are needed to be implemented to improve SN ratio.

- The new algorithm's results show agreement with theory.
- Next steps:
 - + Apply more different cuts to improve SN ratio
 - + Study a new tagging algorithm for better π^+ event selection

BACKUP

MAXIMUM PT OF PIO

E₂, m₂

- $K^+ \rightarrow \pi^+ \pi^0$: maximum $\pi^0 P^T$ can reach ~250MeV => large P^T distribution
- $K_L \rightarrow \pi^+ \pi^- \pi^0$: maximum $\pi^0 P^T$ can't reach 250MeV => smaller P^T distribution

!? The large P^T tail may come from hadronic interaction

RECONSTRUCTION 4 SOLUTIONS!?

Quadratic equation of z2 => there are 4 solutions + z3, z4: behind the calorimeter + z1, z2: possible solutions

VETO CONDITIONS

2018/12/14

collaboration meeting @ J-PARC

CSIsingleVeto

VetoCondition

MoreLooseVeto2017 =

" && CBARVetoEne<=5 && IBVetoEne<=5 && IBCH55VetoEne<=2.5 && (<u>MvVetoCondition&0x100)==0</u> && FBARVetoEne<=5 && FBARWideRangeVetoEne<=30 && NCCVetoEne<=5 && CVVetoEne<=0.3 && IBCVVetoEne<=1 && MBCVVetoEne<=1 && !(newBHCVModHitCount>1 && newBHCVVetoEne>884.e-6/4.)"

MoreLooseVeto2015 =

" && CBARVetoEne<=5 && CSIVetoFlag==0 && FBARVetoEne<=5 && FBARWideRangeVetoEne<=30 && NCCVetoEne<=5 && CVVetoEne<=0.3 && BCVVetoEne<=1 && BHCVVetoEne<=0.3"

LooseVeto2017 =

"&& CBARVetoEne<=2 && IBVetoEne<=2 && IBCH55VetoEne<=1 && (MyVetoCondition&0x100)==0 && FBARVetoEne<=2 && FBARWideRangeVetoEne<=30 && NCCVetoEne<2 && CVVetoEne<=0.2 && IBCVVetoEne<=1 && MBCVVetoEne<=1 && !(newBHCVModHitCount>1 && newBHCVVetoEne>884.e-6/4.) && BHGCVetoEne<=2.5"

LooseVeto2015 =

&& CBARVetoEne<=2 && CSIVetoFlag==0 && FBARVetoEne<=2 && FBARNewVetoEne<=2 && FBARWideRangeVetoEne<=30 && NCCVetoEne<2 && CVVetoEne<=0.2 && BCVVetoEne<=1 && BHCVVetoEne<=0.3 && BHGCVetoEne<=2.5

TightVeto2017 =

" && CBARVetoEne<=1 && IBVetoEne<=1 && IBWideVetoEne<=2 && IBCH55VetoEne<=1 && (MyVetoCondition&0x100)==0 && FBARVetoEne<=1 && FBARNewVetoEne<=1 && FBARWideRangeVetoEne<=30 && NCCVetoEne<=1 && NCCScintiVetoEne<=1 && OEVVetoEne<=1 && CVVetoEne<=0.2 && IBCVVetoEne<=0.5 && MBCVVetoEne<=0.5 && !(newBHCVModHitCount>1 && newBHCVVetoEne>884.e-6/4.) && BHGCVetoEne<=2.5"

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EVENT SELECTION VETO CONDITIONS

<u>Tight Veto Condition 2017:</u>

if(CBARVetoEne<=1 && IBVetoEne<=1 && IBWideVetoEne<=2 && IBCH55VetoEne<=1 && (MyVetoCondition&0x100)==0 && FBARVetoEne<=1 && NCCVetoEne<=1 && NCCScintiVetoEne<=1 && OEVVetoEne<=1 && CVVetoEne>0.3 && IBCVVetoEne<=0.5 && MBCVVetoEne<=0.5 && !(newBHCVModHitCount>1 && newBHCVVetoEne>884.e-6/4.) && BHGCVetoEne<=2.5)</pre>

Loose Veto Conditions 2017:

if(CBARVetoEne<=2 && IBVetoEne<=2 && IBCH55VetoEne<=1 && (MyVetoCondition&0x100)==0 && FBARVetoEne<=2 && NCCVetoEne<2 && CVVetoEne>0.3 && IBCVVetoEne<=1 && MBCVVetoEne<=1 && !(newBHCVModHitCount>1 && newBHCVVetoEne>884.e-6/4.) && BHGCVetoEne<=2.5)

CHI2 CALCULATION

$$\theta = \theta_p - \theta_l$$

= $\theta(x_1, y_1, E_1, x_2, y_2, E_2, x_0, y_0)$
 θ^2

$$\chi^2 = \frac{\sigma}{\sigma_\theta^2}$$

$$\sigma_{\theta}^{2} = \left(\frac{\partial\theta}{\partial x_{1}}\right)^{2} \sigma_{x_{1}}^{2} + \left(\frac{\partial\theta}{\partial y_{1}}\right)^{2} \sigma_{y_{1}}^{2} + \left(\frac{\partial\theta}{\partial E_{1}}\right)^{2} \sigma_{E_{1}}^{2} + \dots$$
$$\frac{\partial\theta}{\partial x_{1}} = \frac{\theta(x_{1} + \epsilon) - \theta(x_{1})}{\epsilon}$$

Note: The dependence on x0, y0 is not taken into account because position resolution is dependent on energy of pi+ which is not known.